

Death Penalty Statutes 1993
(data from which to create a frequency distribution)

| State | Minimum <br> Age | State | Minimum <br> Age |
| :--- | :---: | :--- | :---: |
| Arkansas | 14 | Texas | 17 |
| Virginia | 15 | California | 18 |
| Alabama | 16 | Colorado | 18 |
| Delaware | 16 | Connecticut | 18 |
| Indiana | 16 | Illinois | 18 |
| Kentucky | 16 | Louisiana | 18 |
| Mississippi | 16 | Maryland | 18 |
| Missouri | 16 | Nebraska | 18 |
| Nevada | 16 | New Jersey | 18 |
| Oklahoma | 16 | New Mexico | 18 |
| Wyoming | 16 | Ohio | 18 |
| Georgia | 17 | Oregon | 18 |
| New Hampshire | 17 | Tennessee | 18 |
| North Carolina | 17 |  |  |

Source: Kathleen Maguire and Ann L. Pastore, eds., Sourcebook of Criminal Justice Statistics. 1994. U.S. Department of Justice, Bureau of Justice Statistics. Washington, D.C.: U.S. Government Printing Office, 1995, pp. 115-116.

## Proportions and Percentages

- Proportion (P): a relative frequency obtained by dividing the frequency in each category by the total number of cases.
- Percentage (\%): a relative $P=\frac{f}{N}$ frequency obtained by dividing the frequency in each category by the total number of cases and multiplying by 100.
- N : total number of cases
$(\%)=P(100)$
- Proportions and percentages are relative frequencies

| Proportions and Percentages |  |  |  |
| :---: | :---: | :---: | :---: |
|  |  |  |  |
|  | Minimum Age | Frequency | Proportion |
| 14 | 1 | Percentage |  |
| 15 | 1 | .037 | 3.037 |
| 16 | 9 | .333 | 33.3 |
| 17 | 4 | .148 | 14.8 |
| 18 | 12 | .444 | 44.4 |
| Total $\mathbf{N}$ | 27 | $\mathbf{1 . 0}$ | $\mathbf{1 0 0 . 0}$ |
|  |  |  |  |
|  |  |  |  |

## Cumulative Frequency Distribution

| Minimum <br> Age | Freq. (f) | Percentage | Cumulative <br> Frequency |
| :---: | :--- | :---: | :---: |
| 14 | 1 | 3.7 | 01 |
| 15 | 1 | 3.7 | 02 |
| 16 | 9 | 33.3 | 11 |
| 17 | 4 | 14.8 | 15 |
| 18 | 12 | 44.4 | 27 |

Total (N) 27 99.9*

* Doesn't total to $100 \%$ due to rounding

| Cumulative Percentage Distribution |  |  |  |
| :---: | :---: | :---: | :---: |
| Minimum Age | Frequency | Percentage | Cumulative Percentage |
| 14 | 1 | 3.7 | 3.7 |
| 15 | 1 | 3.7 | 7.4 |
| 16 | 9 | 33.3 | 40.7 |
| 17 | 4 | 14.8 | 55.5 |
| 18 | 12 | 44.4 | 99.9* |
| Total N | 27 | 99.9* |  |
| * Doesn't total to 100\% due to rounding |  |  |  |

## Reading Statistical Tables

Basic principles for understanding what the researcher is trying to tell you (that is, questions you should ask yourself when reading a table):

- What is the source of this table?
- How many variables are presented? What are their names?
- What is represented by the numbers presented in the first column? In the second column?



## Example of Table Format for Research Paper

Table 1: The Effect of Sex on Attitudes Toward the Death Penalty
In Favor of the Death Penalty (actual number of respondents reported)


Example of Table Format for Research Paper
Table 1: The Effect of Sex on Attitudes Toward the Death Penalty

| Column \% |  | Percent In Favor of the Death Penalty* |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Row\% |  | Yes | No | Total |
|  |  | 52 | 51 |  |
|  | Male | 65 | 35 | 100 |
| Gender |  | (36) | (19) | (55) |
|  |  | 48 | 49 |  |
|  | Female | 65 | 35 | 100 |
|  |  | (33) | (18) | (51) |
|  | Total | 100 | 100 | 100 |
|  |  | (69) | (37) | (106) |

## Chapter 4:

Central Tendency (mean, median, mode)

## The Mode: An Example

- Which of the three candidates represents the "mode" for these candidates
- Variable=Candidates Candidate A-11,769 votes
Candidate B - 39,443 votes
Candidate C - 78,331 votes
Level of measurement? =
The Mode?=


## The Mode: An Example

- Which of the three candidates represents the "mode" for these candidates
- Variable=Candidates

Candidate A - 11,769 votes
Candidate B - 39,443 votes
Candidate C - 78,331 votes
Level of measurement = nominal (why?)
The Mode= Candidate $C$ (why?)

Finding Median Among Individual Cases

| \# of hate crimes by state |  | Steps to Determine: |
| :---: | :---: | :---: |
| $\frac{\text { Cases }}{\text { NC }}=39$ |  | 1. Order the cases from |
| Penn | $=39$ $=141$ | highest to lowest or vice |
| TX | = 287 |  |
| Ohio | = 255 |  |
| Fla | = 240 | 2. Add 1 to the total |
| States ordered low to high |  | number of cases ( $5+1=6$ ) |
| NC | = 39 | 3. divide resulting |
| Penn | $\begin{aligned} & =141 \\ & =240 \end{aligned}$ | number $2(6 / 2=3)$ |
| Ohio | -255 |  |
| TX | =287 | Count down that many |
|  |  | ases to identify the |
| es $=5$ |  | middle or median (Fla) |

## Formula for the Mean

$$
\bar{Y}=\frac{\sum f Y}{N}
$$

"Y bar" ( $\bar{Y}$ ) equals the average or the sum of all the scores, $Y$, divided by the number of scores, N .

Calculating the mean with frequency distributions (grouped scores):


- Measures of Central Tendency Numbers that describe what is typical or average (central) in a distribution (e.g., mean, mode, median).
- Measures of Variability - Numbers that describe diversity or variability in the distribution (e.g., range, interquartile range, variance, standard deviation).


## Chapter 5: <br> The Importance of Measuring Variability

## Considerations for Choosing a Measure of Central Tendency

- For a nominal variable, the mode is the only measure that can be used.
- For ordinal variables, the mode and the median may be used. The median provides more information (taking into account the ranking of categories).
- For interval-ratio variables, the mode, median, and mean may all be calculated. The mean provides the most information about the distribution, but the median is preferred if the distribution is skewed.


What is the range for these diversity scores?
(higher number means more diversity)?

| What is the range for these diversity scores? (higher number means more diversity)? |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Steps to determine: subtract the lowest score $\qquad$ from the highest $\qquad$ to obtain the range of IQV scores $\qquad$ |  |  |  |  |  |
| State | IQV | State | IQV | State | IQV |
| California | 0.80 | Alabama | 0.51 | Indiana | 0.27 |
| New Mexico | 0.76 | North Carolina | 0.51 | Utah | 0.26 |
| Texas | 0.74 | Delaware | 0.49 | Nebraska | 0.24 |
| New York | 0.66 | Colorado | 0.45 | South Dakota | 0.24 |
| Hawaii | 0.64 | Oklahoma | 0.44 | Wisconsin | 0.24 |
| Maryland | 0.62 | Connecticut | 0.42 | Idaho | 0.23 |
| New Jersey | 0.61 | Arkansas | 0.40 | Wyoming | 0.22 |
| Louisiana | 0.61 | Michigan | 0.40 | Kentucky | 0.20 |
| Arizona | 0.61 | Tennessee | 0.39 | Minnesota | 0.20 |
| Florida | 0.61 | Washington | 0.37 | Montana | 0.20 |
| Mississippi | 0.61 | Massachusetts | 0.34 | North Dakota | 0.17 |
| Georgia | 0.59 | Missouri | 0.31 | Iowa | 0.13 |
| Nevada | 0.57 | Ohio | 0.31 | West Virginia | 0.11 |
| Illinois | 0.57 | Pennsylvania | 0.31 | New Hampshire | 0.08 |
| South Carolina | 0.56 | Kansas | 0.30 | Maine | 0.06 |
| Alaska | 0.56 | Rhode Island | 0.30 | Vermont | 0.06 |
| Virginia | 0.53 | Oregon | 0.28 |  |  |

## The Range

Range - A measure of variation in interval-ratio variables.

- It is the difference between the highest (maximum) and the lowest (minimum) scores in the distribution.

Range $=$ highest score - lowest score

| What is the range for these diversity scores? (higher number means more diversity)? <br> Steps to determine: subtract the lowest score $\qquad$ .06 from the highest $\qquad$ to obtain the range of IQV scores $\qquad$ |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| State | IQV | State | IQV | State | IQV |
| California | 0.80 | Alabama | 0.51 | Indiana | 0.27 |
| New Mexico | 0.76 | North Carolina | 0.51 | Utah | 0.26 |
| Texas | 0.74 | Delaware | 0.49 | Nebraska | 0.24 |
| New York | 0.66 | Colorado | 0.45 | South Dakota | 0.24 |
| Hawaii | 0.64 | Oklahoma | 0.44 | Wisconsin | 0.24 |
| Maryland | 0.62 | Connecticut | 0.42 | Idaho | 0.23 |
| New Jersey | 0.61 | Arkansas | 0.40 | Wyoming | 0.22 |
| Louisiana | 0.61 | Michigan | 0.40 | Kentucky | 0.20 |
| Arizona | 0.61 | Tennessee | 0.39 | Minnesota | 0.20 |
| Florida | 0.61 | Washington | 0.37 | Montana | 0.20 |
| Mississippi | 0.61 | Massachusetts | 0.34 | North Dakota | 0.17 |
| Georgia | 0.59 | Missouri | 0.31 | Iowa | 0.13 |
| Nevada | 0.57 | Ohio | 0.31 | West Virginia | 0.11 |
| Illinois | 0.57 | Pennsylvania | 0.31 | New Hampshire | 0.08 |
| South Carolina | 0.56 | Kansas | 0.30 | Maine | 0.06 |
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| What is the range for these diversity scores? (higher number means more diversity)? <br> Steps to determine: subtract the lowest score _. 06 _from the highest $\qquad$ .80 to obtain the range of IQV scores $\qquad$ |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
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| Arizona | 0.61 | Tennessee | 0.39 | Minnesota | 0.20 |
| Florida | 0.61 | Washington | 0.37 | Montana | 0.20 |
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| What is the range for these diversity score (higher number means more diversity)? <br> Steps to determine: subtract the lowest score _. 06 from the highest $\qquad$ .80 to obtain the range of IQV scores. $\qquad$ 74 |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| State | IQV | State | IQV | State | IQV |
| California | 0.80 | Alabama | 0.51 | Indiana | 0.27 |
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| Virginia | 0.53 | Oregon | 0.28 |  |  |

## Inter-quartile Range

- Inter-quartile range (IQR) - The width of the middle 50 percent of the distribution.
- The IQR helps us to get a better picture of the variation in the data than the range.

The shortcoming of the range is that an "outlying" case at the top or bottom can increase the range substantially.

## Inter-quartile Range

- Inter-quartile range (IQR) - The width of the middle 50 percent of the distribution.
- It is defined as the difference between the lower and upper quartiles (Q1 and Q3.)
- $I Q R=q 3-q 1$

| What is the IQR for these Diversity Scores? |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| State | IQV | State | IQV | State | IQV |
| California | 0.80 | Alabama | 0.51 | Indiana | 0.27 |
| New Mexico | 0.76 | North Carolina | 0.51 | Utah | 0.26 |
| Texas | 0.74 | Delaware | 0.49 | Nebraska | 0.24 |
| New York | 0.66 | Colorado | 0.45 | South Dakota | 0.24 |
| Hawaii | 0.64 | Oklahoma | 0.44 | Wisconsin | 0.24 |
| Maryland | 0.62 | Connecticut | 0.42 | Idaho | 0.23 |
| New Jersey | 0.61 | Arkansas | 0.40 | Wyoming | 0.22 |
| Louisiana | 0.61 | Michigan | 0.40 | Kentucky | 0.20 |
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| Nevada | 0.57 | Ohio | 0.31 | West Virginia | 0.11 |
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| South Carolina | 0.56 | Kansas | 0.30 | Maine | 0.06 |
| Alaska | 0.56 | Rhode Island | 0.30 | Vermont | 0.06 |
| Virginia | 0.53 | Oregon | 0.28 |  |  |
| (Steps are provided on the next slides) |  |  |  |  |  |

## What is the IQR for the Diversity Scores?

Steps to determine the IQR (Q3-Q1):

1. Order the categories from highest to lowest (or vice versa)
2. To obtain Q1, begin by dividing N (total number of categories or states) by 4 (or alternatively multiply N by .25). This equals 12.5 ?
3. We now know that $Q 1$ falls between the $12^{\text {th }}$ and $13^{\text {th }}$ category or, in this case, states
4. To find the exact number for Q1, determine the midpoint between the $12^{\text {th }}$ and $13^{\text {th }}$ states or between .59 and .57 )
5. $\mathrm{Q} 1=$ $\qquad$

What is the IQR for the Diversity Scores?

Steps to determine the IQR (Q3-Q1):
6. To obtain $Q 3$, begin by multiplying 12.5 by 3 (or alternatively multiply 12.5 by .75 ). This will give us
7. Based on this number, Q3 falls between the $37^{\text {th }}$ and $38^{\text {th }}$ states
8. Determine the midpoint between these two states. This equals This tells us that $50 \%$ of the cases fall between .58 and .24.
9. To obtain the IQR subtract Q3 from Q1 which equals $\qquad$ or the middle of the middle $50 \%$ of the cases.

## What is the IQR for the Diversity Scores?

## Steps to determine the IQR (Q3-Q1)

6. To obtain Q3, begin by multiplying 12.5 by 3 (or alternatively multiply $\mathrm{N}(50)$ by .75 ). This will give us 37.5
7. Based on this number, Q3 falls between the $37^{\text {th }}$ and $38^{\text {th }}$ states.
8. Determine the midpoint between these two states. This equals_. 24 . This tells us that $50 \%$ of the cases fall between . 58 and .24 .
9. To obtain the IQR subtract Q3 from Q1 which equals . 34 or the middle of the middle $50 \%$ of the cases.

What is the IQR for the Diversity Scores?

Steps to determine the IQR (Q3-Q1):

1. Order the categories from highest to lowest (or vice versa)
2. To obtain Q1, begin by dividing $N$ (total number of categories or states) by 4 (or alternatively multiply $N$ by .25). This equals 12.5 ?
3. We now know that Q1 falls between the $12^{\text {th }}$ and $13^{\text {th }}$ category or, in this case, states.
4. To find the exact number for Q1, determine the midpoint between the $12^{\text {th }}$ and $13^{\text {th }}$ states or between .59 and .57 )
5. $\mathrm{Q} 1=\ldots .58$

## Measures of Variability: the Variance

- The variance allows us to account for the total amount of variation that includes the variation of all the categories.
- The amount of variation in each category is considered when calculating the variance.
- The variance is an important statistic that is used in most other sophisticated statistics. Therefore, it is important for you to give it particular attention.

| Determining Variation in the "Percentage Increase" in the <br> Nursing Home Population, 1980-1990 |  |
| :--- | :--- |
| Nine Regions of U.S. | Percentage |
|  |  |
| Pacific | 15.7 |
| West North Central | 16.2 |
| New England | 17.6 |
| East North Central | 23.2 |
| West South Central | 24.3 |
| Middle Atlantic | 28.5 |
| East South Central | 38.0 |
| Mountain | 47.9 |
| South Atlantic | 71.7 |



| Percentage Change in the Nursing Home Population, 1980-1990 |  |  |
| :---: | :---: | :---: |
| Nine Regions of U.S. | Percentage | $\boldsymbol{Y}-\bar{Y}$ |
| Pacific | 15.7 | 15.7-31.5 = -15.8 |
| West North Central | 16.2 | 16.2-31.5 = -15.3 |
| New England | 17.6 | 17.6-31.5 = -13.9 |
| East North Central | 23.2 | 23.2-31.5 = - 8.3 |
| West South Central | 24.3 | 24.3-31.5 = - 7.2 |
| Middle Atlantic | 28.5 | 28.5-31.5 = - 3.0 |
| East South Central | 38.0 | $38.0-31.5=6.5$ |
| Mountain | 47.9 | 47.9-31.5 = 16.4 |
| South Atlantic | 71.7 | 71.7-31.5 = 40.2 |
| $($ mean $=31.5$ ) | $\Sigma \mathrm{Y}=283.1$ | $\Sigma(Y-\bar{Y})=0$ |
| How might we take into account the variation that exists for each category? |  |  |
| Problem: when you add up the distances you end up with zero rather than the total variation from all the categories. |  |  |


| Percentage Change in the Nursing Home Population, 1980-1990 |  |  |
| :---: | :---: | :---: |
| Nine Regions of U.S. | Percentage | $Y-\bar{Y}$ |
| Pacific | 15.7 | 15.7-31.5 = -15.8 |
| West North Central | 16.2 | 16.2-31.5 = -15.3 |
| New England | 17.6 | 17.6-31.5 = -13.9 |
| East North Central | 23.2 | 23.2-31.5 = - 8.3 |
| West South Central | 24.3 | $24.3-31.5=-7.2$ |
| Middle Atlantic | 28.5 | 28.5-31.5 = - 3.0 |
| East South Central | 38.0 | $38.0-31.5=6.5$ |
| Mountain | 47.9 | 47.9-31.5 = 16.4 |
| South Atlantic | 71.7 | $71.7-31.5=40.2$ |
| ( mean $=31.5$ ) | $\sum \mathrm{Y}=283.1$ | $\Sigma(\mathrm{Y}-\overline{\mathrm{Y}})=0$ |
| - One solution would be to take the absolute value for each number (ignore the minus signs). Unfortunately, absolute values are very difficult to work with mathematically. <br> - Fortunately, there is another alternative. |  |  |
|  |  |  |

## Measures of Variability: the Variance

The Variance is the average of the squared deviations from the mean.

$$
s_{Y}^{2}=\frac{\sum(Y-\bar{Y})^{2}}{N-1}
$$

In our example we would take the sum of the squared deviations (2733.92) and divide this number by the total number of cases minus one ( $9-1=8$ ). This would give us 341.74 or the variance for the Percent Increase in the Nursing Home population by region.

| Percentage Change in the Nursing Home Population, 1980-1990 |  |  |
| :---: | :---: | :---: |
| Nine Regions of U.S. Percentage | $\begin{array}{lc} Y-\bar{Y} & (Y-\bar{Y})^{2} \\ \text { (squared deviations) } \end{array}$ |  |
| Pacific 15.7 | 15.7-31.5 = -15.8 | 249.64 |
| West North Central 16.2 | 16.2-31.5 = -15.3 | 234.09 |
| New England 17.6 | 17.6-31.5 = -13.9 | 193.21 |
| East North Central 23.2 | 23.2-31.5 = - 8.3 | 68.89 |
| West South Central 24.3 | $24.3-31.5=-7.2$ | 51.84 |
| Middle Atlantic 28.5 | 28.5-31.5 = - 3.0 | 9.00 |
| East South Central 38.0 | $38.0-31.5=6.5$ | 42.25 |
| Mountain 47.9 | $47.9-31.5=16.4$ | 268.96 |
| South Atlantic $\quad 71.7$ | 71.7-31.5 $=40.2$ | 1616.04 |
| (mean $=31.5$ ) $\quad \Sigma \bar{Y}=283.1$ | $\sum(\mathrm{Y}-\overline{\mathrm{Y}})^{2}$ | 2733.92 |
| - The best solution is to square the differences before adding them up (when two negative numbers are multiplied the resulting product is a positive number). |  |  |

## Measures of Variability: The Variance

To Sum Up:

The Variance is the average of the squared deviations from the mean.
The Variance is a measure of variability for interval-ratio variables.

$$
s_{Y}^{2}=\frac{\sum(Y-\bar{Y})^{2}}{N-1}
$$

## Measures of Variability: Standard Deviation

- To obtain the square root of the variance simply enter the number (variance) into your calculator and then push the square root button.
-If the variance is 341.74 the standard deviation would be 18.49 $\qquad$ This tells us that the percent of change in the nursing home population for the nine regions is widely dispersed around the mean (mean $=31.45$ ).
- Thus, the standard deviation is a measure of the average amount of variation (or deviation) around the mean.


## Measures of Variability: Standard Deviation

In Sum

- Standard Deviation - A measure of variation for interval-ratio variables; it is equal to the square root of the variance.

$$
s=\sqrt{s_{Y}^{2}}=\sqrt{\frac{\sum(\boldsymbol{Y}-\overline{\mathbf{Y}})^{2}}{N-1}}
$$

## Measures of Variability: Standard Deviation

(a look at what's to come in future chapters)
We will see later that when the data are "normally distributed" around the mean (produce a normal curve), $34 \%$ of the scores will be one standard deviation above the mean and $34 \%$ will be one standard deviation below the mean.

Scores are often "normally distributed" around the mean when a random sample has been used to obtain the scores or there are a large number of cases.

## Considerations for Choosing a Measure of Variability

- For ordinal variables, you can calculate the IQR (inter-quartile range.)
- For interval-ratio variables, you can use IQR, or the variance/standard deviation. The standard deviation (also variance) provides the most information, since it uses all of the values in the distribution in its calculation.


